

## DC MOTOR SPEED CONTROL

$$E_b = \frac{\phi Z N}{60} \times \frac{p}{a}$$

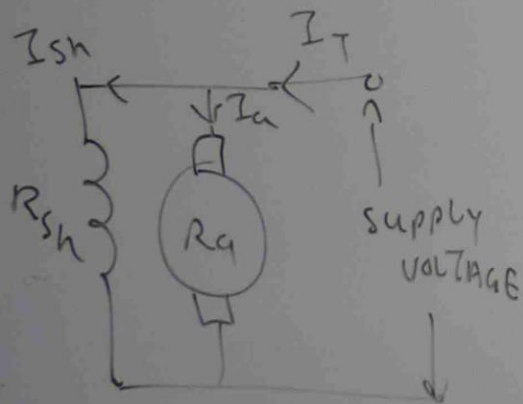
$\phi$  = Flux

$Z$  = ARMATURE CONDUCTORS

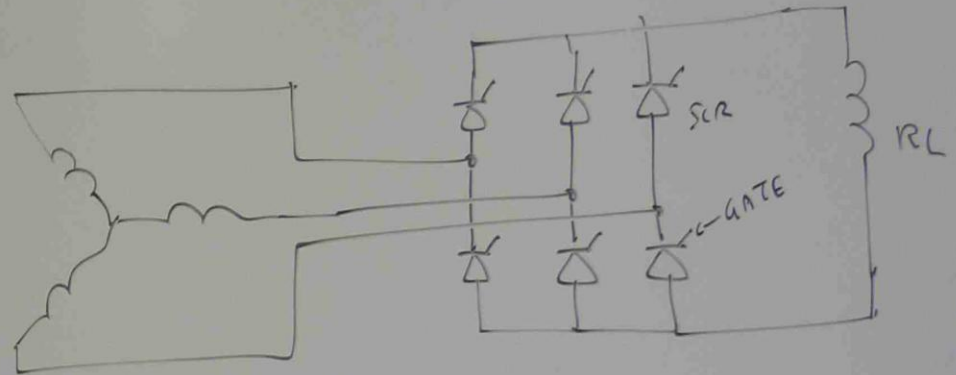
$N$  = SPEED

$p$  = NO. OF POLES

$a$  = NO. OF ARMATURE PARALLEL PATHS

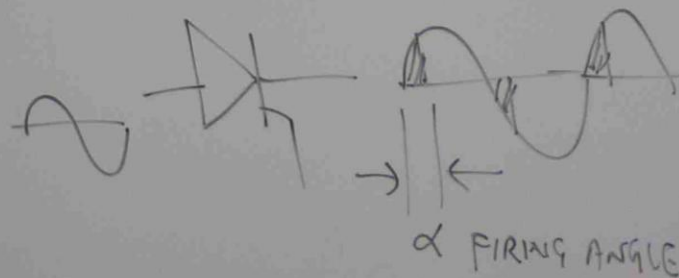


By adjusting field current, DC motor speed can be controlled

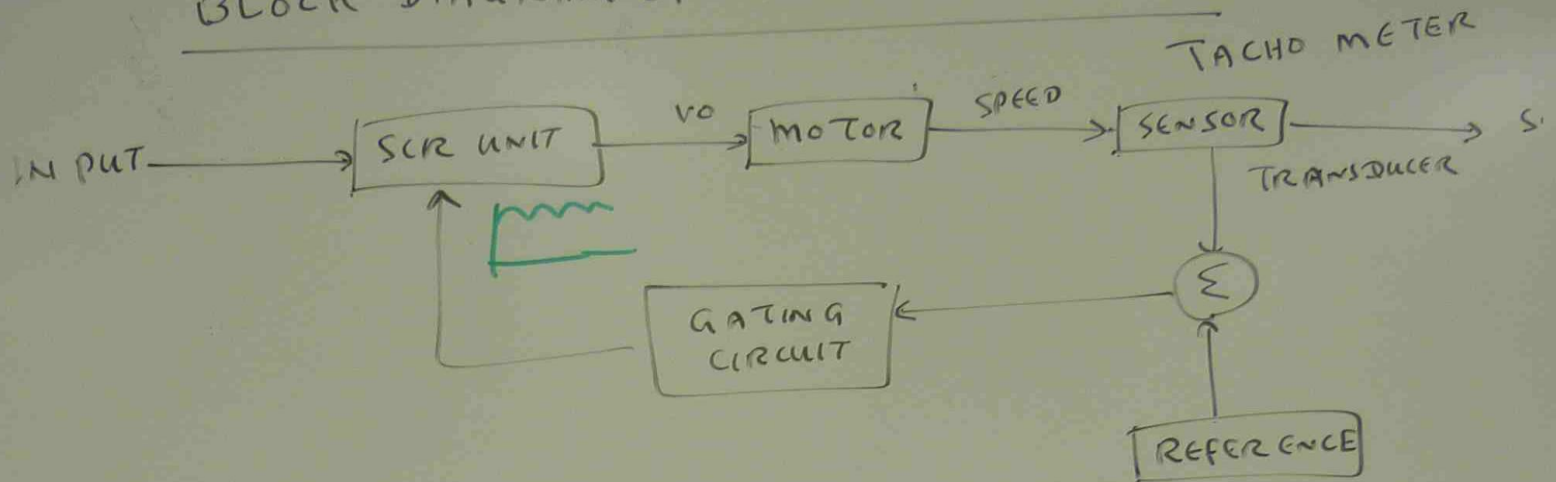


SCR (SILICON CONTROLLED RECTIFIER)

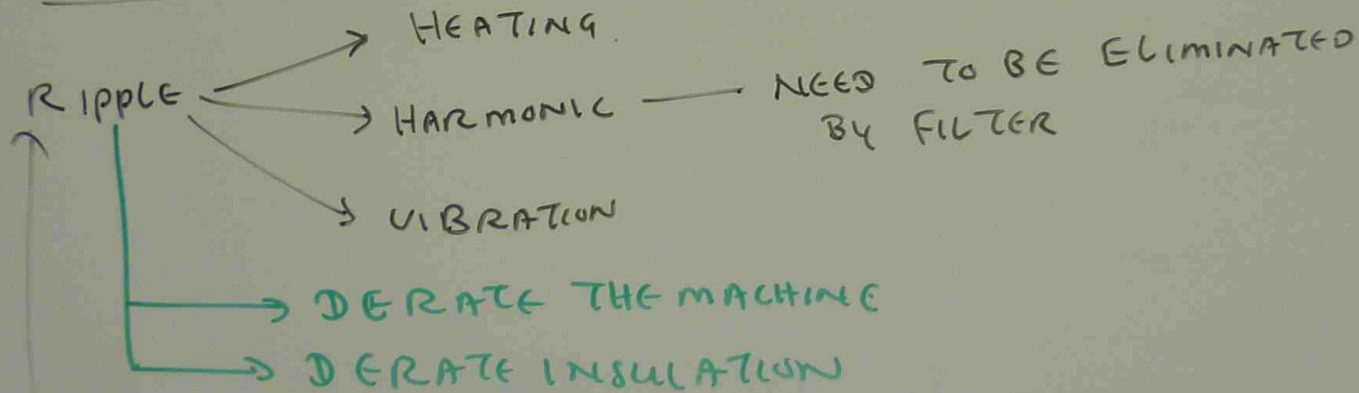
AC MOTOR SPEED CONTROL      DC MOTOR SPEED CONTROL



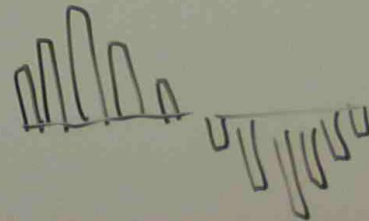
## BLOCK DIAGRAM OF SCR CONTROLLED MOTOR



## HEATING EFFECT OF RIPPLE



PRODUCED BY  
HIGH FREQUENCY  
SWITCHING CIRCUITS  
PWM DRIVES



PWM - PULSE WIDTH  
MODULATION



## WARD LEONARD SYSTEM

DC GENERATOR GENERATED VOLTAGE IS SUPPLIED TO DC MOTOR ARMATURE.

DC GENERATOR FIELD EXCITATION IS VARIED BY FIELD RHEOSTAT.

GENERATED VOLTAGE DEPENDS ON DC GENERATOR FIELD EXCITATION.

GENERATED VOLTAGE INDUCES THE VARIABLE CURRENT SUPPLIED TO DC MOTOR ARMATURE AND MOTOR SPEED IS VARIED

## DC MOTOR TORQUE-SPEED RELATIONSHIP

$$T = \frac{k \phi I_a}{\omega}$$

$T = \text{TORQUE, (N-m)}$ ,  $\phi = \text{FLUX (wb)}$ ,  $I_a = \text{ARMATURE CURRENT (amp)}$

$$k_t = \frac{p z}{2 \pi a}$$

$p = \text{NO. OF POLES}$

$z = \text{NO. OF CONDUCTORS IN ARMATURE}$

$a = \text{NO. OF ARMATURE PARALLEL PATHS}$

$$E_g = k_e \phi N$$

$E_g = \text{GENERATED VOLTAGE}$

$$k_e = \frac{p z}{60 a}$$



$$T = \frac{k_t \phi V_t}{R_a} - \frac{k_e k_t \phi^2 N}{R_a}$$

p.b A 4 POLE WAVE WOUND ARMATURE OPERATING  
IN A FIELD OF FLUX 0.01 Wb IN WOUND WITH  
360 ARMATURE CONDUCTORS.

DETERMINE THE EXPRESSION OF TORQUE AS  
A FUNCTION OF SPEED IF  $V_t = 250V$  AND

$$R_a = 0.1 \Omega.$$

$$T = \frac{k_t \phi V_t}{Ra} - \frac{k_e k_t \phi^2 N}{Ra}$$

$$k_t = \frac{p z}{2 \pi a}$$

$$a = \begin{matrix} p n & \text{for LAP} \\ 2 n & \text{for wave} \end{matrix}$$

$$= \frac{4 \times 360}{2 \times 3.1416 \times 2}$$

Assume simplex wave

$$n = 1$$

$$= 114.5$$

$$a = 2 \times n = 2 \times 1 = 2$$

$$k_e = \frac{p z}{60 a} = \frac{4 \times 360}{60 \times 2} = 12$$

$$T = \frac{114.5 \times 0.01 \times 250}{0.1} - \frac{12 \times 114.5 \times (0.01)^2 \times N}{0.1}$$

$$T = 2800 - 1.38 N$$

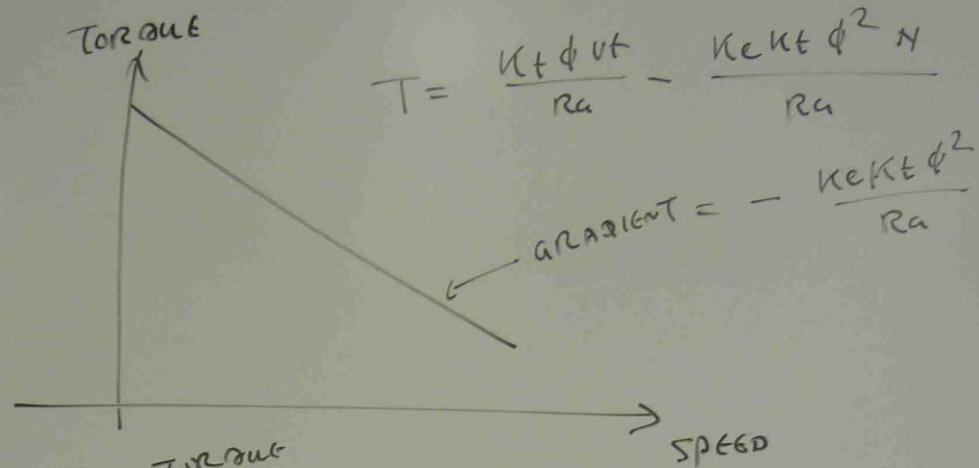
$$1.38 N = 2800$$

$$\text{No load} \rightarrow T = 0$$

$$N = \frac{2800}{1.38} = 2028 \text{ RPM}$$

$$0 = 2800 - 1.38 N$$

## DC MOTOR TORQUE & SPEED RELATIONSHIP



Torque

CONSTANT TORQUE

Torque

SPEED

SERIES MOTOR

SPEED

MATCH THE MOTOR AND DRIVE SYSTEM.

---

pb

For motor  $T = 2860 - 1.38 N$

For Load (i)  $T = 50 + 1.25 N$   
(ii)  $T = 50 + 0.625 \times 10^{-4} N^2$

TO MATCH THE MOTOR AND LOAD, CALCULATE THE EQUILIBRIUM SPEED IN EACH INSTANCE.

Motor & Load  $T = 50 + 1.25 N$

---

$$\text{Motor Torque} = \text{Load Torque}$$

$$2860 - 1.38 N = 50 + 1.25 N$$

$$2860 - 50 = 1.38 N + 1.25 N$$

$$2.63 N = 2810$$

$$N = \frac{2810}{2.63} = 1087 \text{ RPM}$$



motor & load  $T = 50 + 0.625 \times 10^{-4} N^2$

motor Torque = load Torque

$2860 - 1.38 N = 50 + 0.625 \times 10^{-4} N^2$

$0.625 \times 10^{-4} N^2 + 1.38 N - 2810 = 0$

$Ax^2 + Bx + C = 0$

$$X = \frac{-B \pm \sqrt{B^2 - 4AC}}{2A}$$

$X = N, A = 0.625 \times 10^{-4}, B = 1.38, C = -2810$

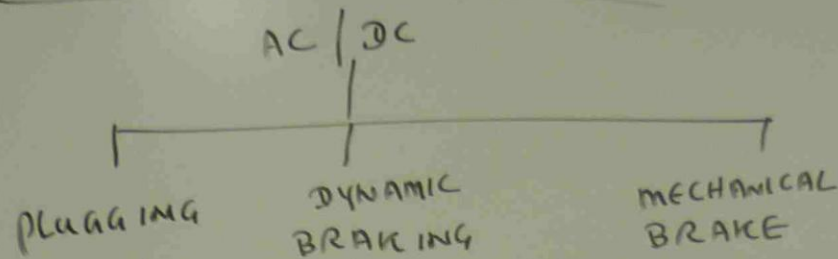
$$N = \frac{-1.38 \pm \sqrt{(1.38)^2 - 4 \times 0.625 \times 10^{-4} \times (-2810)}}{2 \times 0.625 \times 10^{-4}}$$

$$N = \frac{-1.38 \pm 1.622}{1.25 \times 10^{-4}}$$

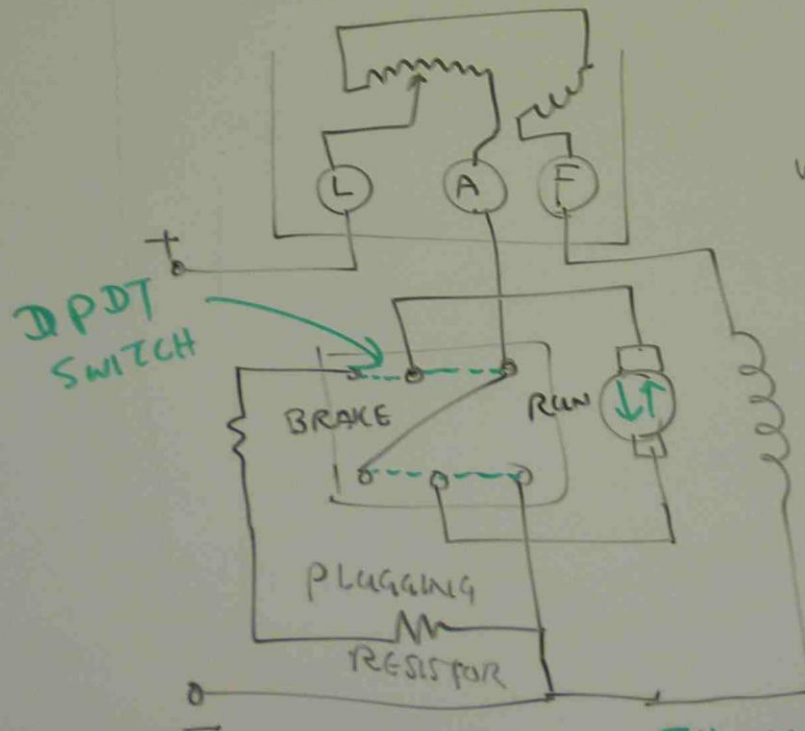
$$= \frac{-1.38 + 1.622}{1.25 \times 10^{-4}}$$

$$= 1930 \text{ RPM}$$

# DC MOTOR BRAKING

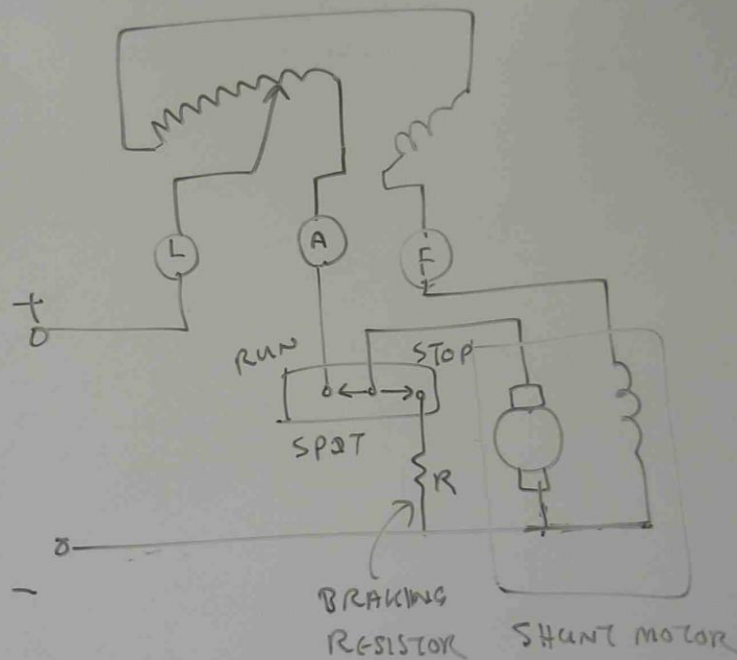


## BRAKING BY PLUGGING



WHEN THE STOP SWITCH IS PRESSED, MOTOR TERMINAL CONNECTION IS REVERSED. REVERSED SUPPLY CANCELS THE MOTOR ROTATIONAL INERTIA AND MOTOR IS STOPPED IMMEDIATELY. THEN MOTOR IS CUT OFF FROM SUPPLY.

## BRAKING BY DYNAMIC BRAKING



WHEN STOP BUTTON IS PRESSED, MOTOR TERMINAL IS CONNECTED TO EXTERNAL DYNAMIC BRAKING RESISTOR. THE STORED ENERGY IN MOTOR ARMATURE IS DISSIPATED IN DYNAMIC BRAKING RESISTOR AND MOTOR IS STOPPED.