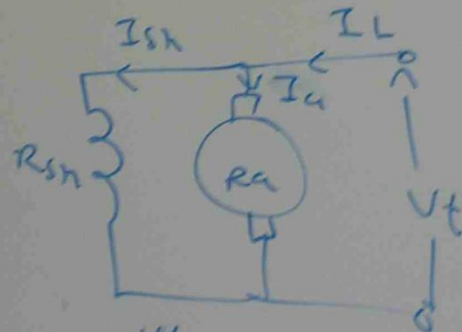
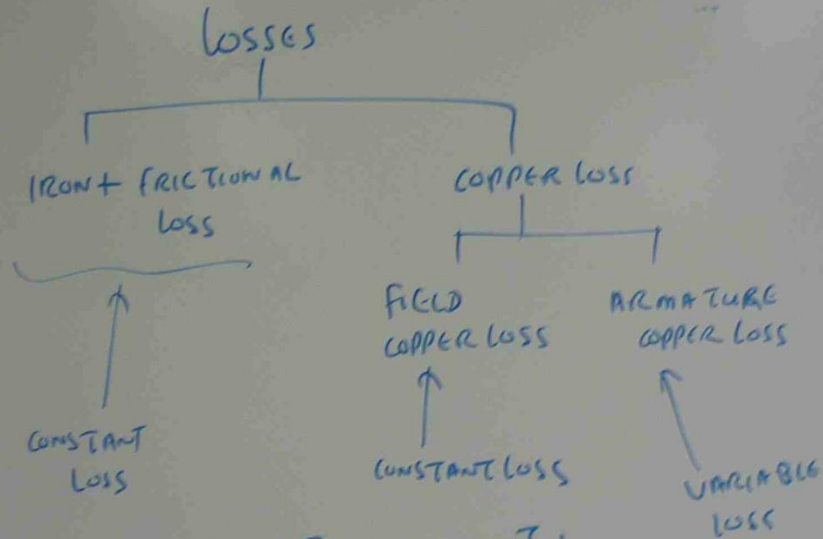


MAXIMUM EFFICIENCY



$$I_{sh} = \frac{V_t}{R_{sh}}$$

So long as V_t is constant

I_{sh} is constant & $I_{sh}^2 R_{sh}$

is constant.

I_a depends on load condition

$$\text{CONSTANT LOSSES} = \text{IRON + FRICTIONAL LOSSES} + \text{SHUNT FIELD COPPER LOSS}$$

$$\text{VARIABLE LOSSES} = \text{ARMATURE COPPER LOSS} + \text{SERIES FIELD COPPER LOSS}$$

MAXIMUM EFFICIENCY OCCURS WHEN CONSTANT LOSS IS EQUAL TO VARIABLE LOSS.

SHUNT MACHINE

$$\text{VARIABLE LOSS} = I_a^2 R_a$$

$$\text{CONSTANT LOSS} = \text{VARIABLE LOSS} = I_a^2 R_a$$

$$\text{TOTAL LOSSES} = \text{VARIABLE LOSS} + \text{CONSTANT LOSS}$$

$$= I_a^2 R_a + I_a^2 R_a = 2 I_a^2 R_a$$

ANT

R_{sh}

CONSTANT.

$$\text{MAXIMUM EFFICIENCY} = \frac{\text{OUT PUT POWER}}{\text{IM PUT POWER}} \times 100$$

$$= \frac{\text{OUT PUT POWER}}{\text{OUTPUT POWER} + \text{TOTAL LOSSES}} \times 100$$

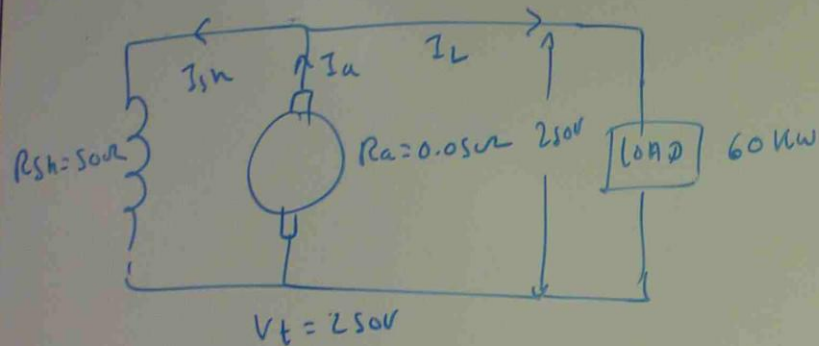
$$\eta_{\max} = \frac{V_t I_L}{V_t I_L + 2 I_a^2 R_a} \times 100$$

Ex A 60 KW, 250 V SHUNT GENERATOR HAS AN ARMATURE CIRCUIT RESISTANCE OF 0.05Ω , FIELD RESISTANCE OF 50Ω AND A MAXIMUM EFFICIENCY 91%. CALCULATE

- (a) TOTAL LOAD FOR WHICH THE EFFICIENCY IS APPROXIMATELY A MAXIMUM
 (b) STRAY POWER LOSS

$$\eta_{\max} = \frac{V_t I_L}{V_t I_L + 2 I_a^2 R_a} \times 100$$

$$91 = \frac{V_t I_L}{V_t I_L + 2 I_a^2 R_a} \times 100$$



$$\eta = \frac{250 I_L}{250 I_L + 2 I_a \times 0.05} \times 100$$

$$I_a = I_L + I_{sh}$$

$$I_{sh} = \frac{V_t}{R_{sh}} = \frac{250}{50} = 5 \text{ Amp}$$

$$I_a = I_L + 5$$

$$0.91 = \frac{250 I_L}{250 I_L + 2 \times (I_L + 5)^2 \times 0.05}$$

$$0.91 = \frac{250 I_L}{250 I_L + 0.1 (I_L^2 + 10 I_L + 25)}$$

$$0.91 = \frac{250 I_L}{250 I_L + 0.1 I_L^2 + I_L + 2.5}$$

$$0.91 (250 I_L + 0.1 I_L^2 + I_L + 2.5) = 250 I_L$$

$$227.5 I_L + 0.091 I_L^2 + 0.91 I_L + 2.275 = 250 I_L$$

$$0.091 I_L^2 - 21.59 I_L + 2.275 = 0$$

$$A x^2 + B x + C = 0$$

$$x = \frac{-B \pm \sqrt{B^2 - 4AC}}{2A}$$

$$I_L = \frac{-(-21.59) \pm \sqrt{(-21.59)^2 - 4 \times 0.091 \times 2.275}}{2 \times 0.091}$$

$$= 247.2 \text{ Amp.}$$

$$\frac{I_L + 5}{I_L + 5} \cdot \frac{I_L^2 + 5 I_L}{5 I_L + 25} = \frac{I_L^2 + 10 I_L + 25}{I_L^2 + 10 I_L + 25}$$

$$\text{STRAY loss} = I_a^2 R_a - V_t \times I_{\text{field}}$$

$$I_a = I_b + I_{sh} = 247.2 + 5 = 252.2 \text{ Amp}$$

$$I_{\text{field}} = I_{sh} = 5 \text{ Amp}$$

$$\text{STRAY loss} = I_a^2 R_a - V_t I_{sh}$$

$$= (252.2)^2 \times 0.05 - 250 \times 5$$

$$= 1800 \text{ WATT.}$$

$$\text{STRAY LOSS} = I_a^2 R_a - V_t \times I_{\text{field}}$$

$$I_a = I_b + I_{sh} = 247.2 + 5 = 252.2 \text{ Amp}$$

$$I_{\text{field}} = I_{sh} = 5 \text{ Amp}$$

$$\begin{aligned} \text{STRAY LOSS} &= I_a^2 R_a - V_t I_{sh} \\ &= (252.2)^2 \times 0.05 - 250 \times 5 \\ &= 1800 \text{ WATT.} \end{aligned}$$

MACHINE TEMPERATURE RISE

MACHINE TEMPERATURE RISE CAN BE MEASURED

- By
- (a) THERMOMETER
 - (b) EMBEDDED THERMOCOUPLE (OR) THERMISTOR
 - (c) COMPUTATION FROM HOT AND COLD RESISTANCE

$$\frac{R_F}{R_{RT}} = \frac{234.5 + T_F}{234.5 + T_{RT}}$$

R_F = FINAL RESISTANCE

R_{RT} = RESISTANCE AT ROOM TEMPERATURE

T_F = FINAL TEMPERATURE

T_{RT} = ROOM TEMPERATURE (25°C)

Ex

THE RESISTANCE OF AN ARMATURE WINDING AT 25°C WAS FOUND TO BE 0.26Ω . AFTER A HEAT RUN, IT BECOMES 0.296Ω .
CALCULATE TEMPERATURE RISE OF THE WINDING.

$$T_{RT} = 25^{\circ}\text{C}, \quad R_{RT} = 0.26\Omega$$

$$R_F = 0.296\Omega$$

$$T_F = ?$$

$$\frac{R_F}{R_{RT}} = \frac{234.5 + T_F}{234.5 + T_{RT}}$$

$$\frac{0.296}{0.26} = \frac{234.5 + T_F}{234.5 + 25}$$

$$\frac{0.296}{0.26} (234.5 + 25) - 234.5 = T_F$$

$$T_F = 61^{\circ}\text{C}$$

$$\text{TEMPERATURE RISE} = T_F - T_{RT} = 61 - 25 = 36^{\circ}\text{C}$$

TO

ANALYSIS OF POWER LOSSES IN DC MACHINE

ROTATIONAL LOSSES

- (a) BEARING FRICTION
- (b) WIND FRICTION
- (c) BRUSH FRICTION ————— DEPENDS ON KIND OF BRUSH
- (d) HYSTERESIS
- (e) IRON EDDY CURRENT LOSSES

HYSTERESIS LOSS

- DEPENDS ON QUALITY OF IRON
- FREQUENCY OF AC CURRENT

$$f = \frac{P \cdot N}{120} \text{ Hz}$$

- FLUX DENSITY IN ARMATURE CORE
- MASS OF IRON

$$P_h = K_h f B^{1.6} m \text{ WATT}$$

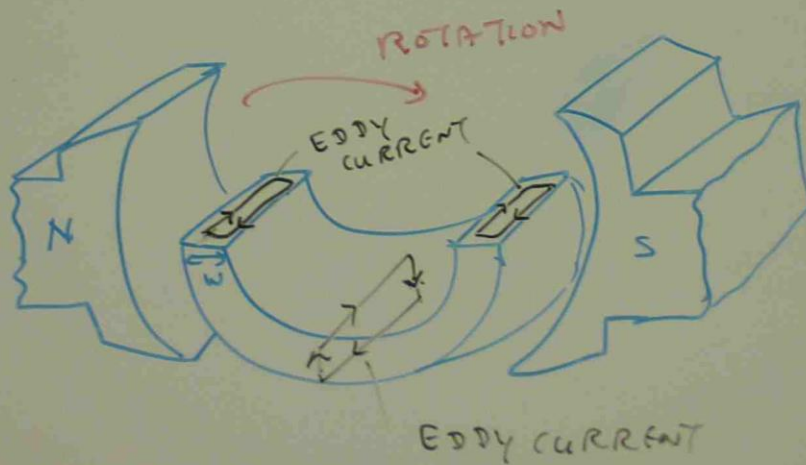
K_h = CONSTANT DEPENDING ON MATERIAL & UNIT USED

f = FREQUENCY (Hz)

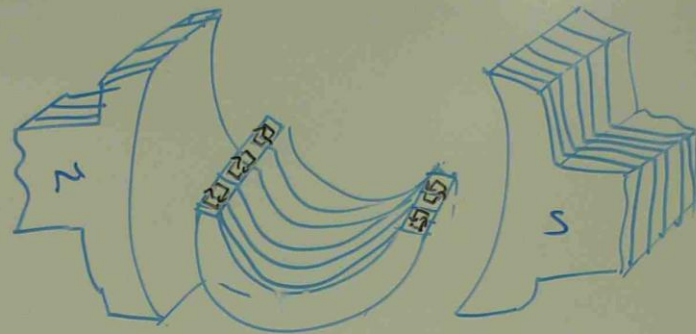
B = MAXIMUM FLUX DENSITY (T)

m = MASS OF CORE (kg)

EDDY CURRENT PATHS IN SOLID CORE



EDDY CURRENT PATHS IN LAMINATION



THE EDDY CURRENT LOSS DEPENDS ON

- FREQUENCY OF THE ALTERNATING CURRENT (OR) FLUX IN ARMATURE CORE
- THE THICKNESS OF THE ARMATURE CORE LAMINATION
- THE FLUX DENSITY IN THE CORE
- THE VOLUME OF THE IRON.

$$P_E = K_e f^2 t^2 B^2 V \quad \text{WATT}$$

P_E = EDDY CURRENT LOSS WATT

K_e = CONSTANT DEPENDING ON THE RESISTIVITY OF
THE IRON AND DIMENSIONS EMPLOYED FOR
THE FACTOR

f = FREQUENCY Hz

t = THICKNESS OF LAMINATION m

B = MAXIMUM FLUX DENSITY IN CORE T

V = VOLUME OF IRON IN CORE

$$P_h = K_h f^{1.6} B^2 m \text{ WATT}$$

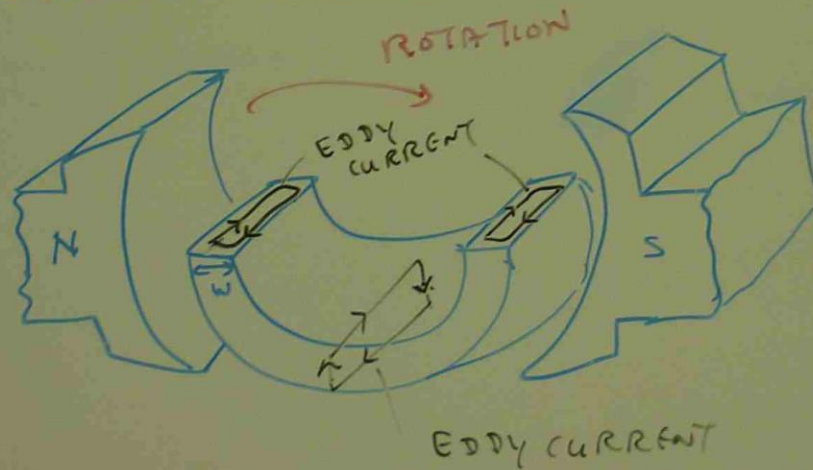
K_h = CONSTANT DEPENDING ON MATERIAL & UNIT USED

f = FREQUENCY (Hz)

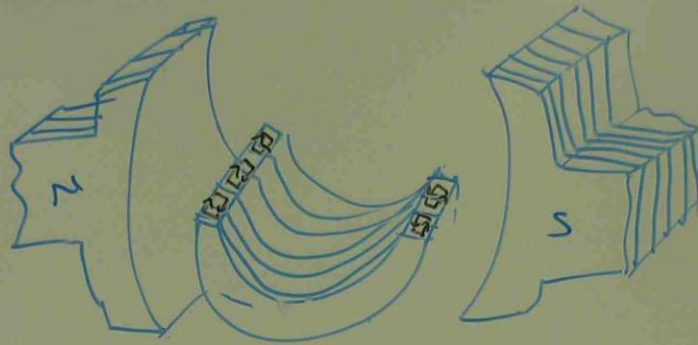
B = MAXIMUM FLUX DENSITY (T)

m = MASS OF CORE (Kg)

EDDY CURRENT PATHS IN SOLID CORE



EDDY CURRENT PATHS IN LAMINATION



THE EDDY CURRENT LOSS DEPENDS ON

- FREQUENCY OF THE ALTERNATING CURRENT (OR) FLUX IN ARMATURE CORE
- THE THICKNESS OF THE ARMATURE CORE LAMINATION
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$$P_E = K_e f^2 t^2 B^2 V \quad \text{WATT}$$

P_E = EDDY CURRENT LOSS WATT

K_e = CONSTANT DEPENDING ON THE RESISTIVITY OF THE IRON AND DIMENSIONS EMPLOYED FOR THE FACTOR

f = FREQUENCY Hz

t = THICKNESS OF LAMINATION mm

B = MAXIMUM FLUX DENSITY IN CORE T

V = VOLUME OF IRON IN CORE (m^3)

EX CALCULATE EDDY CURRENT AND HYSTERESIS LOSSES FOR THE
GIVEN DC MACHINE

$$K_e = 3, \quad K_h = 2 \quad \text{FREQUENCY} = 60 \text{ Hz}$$

$$\text{THICKNESS OF LAMINATION} = 0.9 \text{ mm}$$

$$\text{CORE FLUX DENSITY} = 1.0 \text{ TESLA}$$

$$\text{VOLUME OF CORE} = 7 \text{ m}^3$$

$$\text{MASS OF CORE} = 50 \text{ kg}$$

$$P_h = K_h f^{1.6} B^2 m$$

$$= 2 \times 60 \times (1.0)^{1.6} \times 50$$

$$= 120 \times 39.8 \times 50$$

$$= 238800 \text{ WATT}$$

$$= 238.8 \text{ kW}$$

$$P_e = K_e f^2 B^2 V$$

$$= 3 \times (60)^2 \times (0.9 \times 10^{-3})^2 \times 10 \times 7$$

$$= 3 \times 3600 \times 0.25 \times 10^{-6} \times 100 \times 7$$

$$= 1890000 \times 10^{-6}$$

$$= 1.89 \text{ WATT} \quad \times$$

PERCENTAGE VOLTAGE REGULATION

WHEN THE LOAD IS APPLIED ON A SELF-EXCITED SHUNT GENERATOR THE TERMINAL VOLTAGE WILL DROP DUE TO THREE EFFECTS. THESE ARE

- (1) THE DROP IN THE RESISTANCE OF THE ARMATURE WINDING WHICH IS TERMED $I_a R_a$ DROP
- (2) THE EFFECT OF THE ARMATURE FIELD ON THE MAIN FIELD WHICH WILL DECREASE THE EFFECTIVE FLUX
- (3) THE RESULTANT DROP IN (1) & (2)

$$\text{PERCENTAGE REGULATION} = \frac{E_g - V_{FL}}{V_{FL}} \times 100$$

V_{FL} = FULL LOAD RATED VOLTAGE

E_g = NO LOAD OPEN CIRCUIT
(GENERATED) VOLTAGE

Pb V_{FL} OF A SHUNT GENERATOR IS 480 VOLT. WHAT IS PERCENTAGE REGULATION IF THE OPEN CIRCUIT VOLTAGE IS 510 V? (a)

$$\begin{aligned}\% \text{ REGULATION} &= \frac{E_g - V_{FL}}{V_{FL}} \times 100 \\ &= \frac{510 - 480}{480} \times 100 \\ &= 6.85\%\end{aligned}$$

Pb A 75 kW 500 VOLT GENERATOR HAS A VOLTAGE REGULATION OF 4%. CALCULATE (a) THE OPEN CIRCUIT VOLTAGE (b) ASSUMING THE VOLTAGE VARIES UNIFORMLY BETWEEN NO LOAD AND FULL LOAD CURRENT. CALCULATE THE kW OUTPUT OF A TERMINAL VOLTAGE OF 510.

STAGE

$$(a) \quad \% REG = \frac{E_g - V_{FL}}{V_{FL}} \times 100$$

$$4 = \frac{E_g - 500}{500} \times 100$$

$$\frac{4 \times 500}{100} + 500 = E_g$$

$$E_g = 520V$$

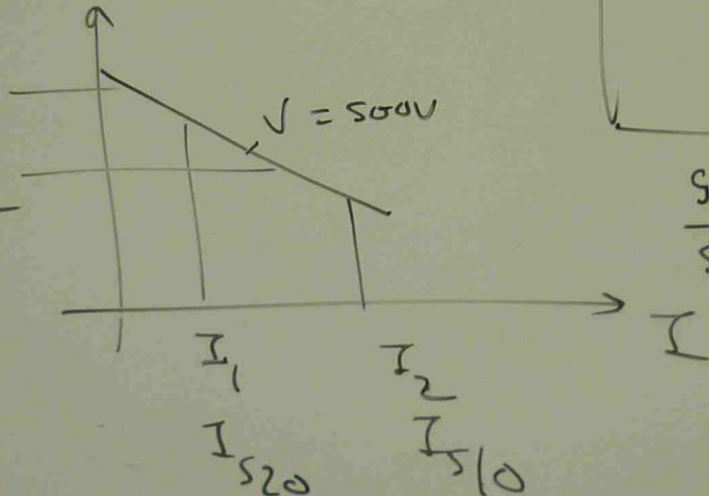
TLON

(b)

520V V_1

510V V_2

V



WEEN

STAGE

$$\frac{V_1 - V_2}{V_1 - V} = \frac{I_2}{I_1}$$

$$\frac{520 - 510}{520 - 500} = \frac{I_{510}}{I_{520}}$$

$V_1 = \text{NO LOAD VOLTAGE}$

$V = \text{FULL LOAD VOLTAGE}$

$V_2 = \text{ANY VOLTAGE}$

$$\frac{10}{20} = \frac{I_{S10}}{I_{S20}}$$

$$\text{Full Load current} \Rightarrow \frac{\text{Terminal Voltage}}{\text{No Load Voltage}} = \frac{\text{Power}}{\text{Terminal Voltage}}$$

500 V

520 V

$$= \frac{75 \times 10^3}{500}$$

$$I_{S20} = 150 \text{ Amp.}$$

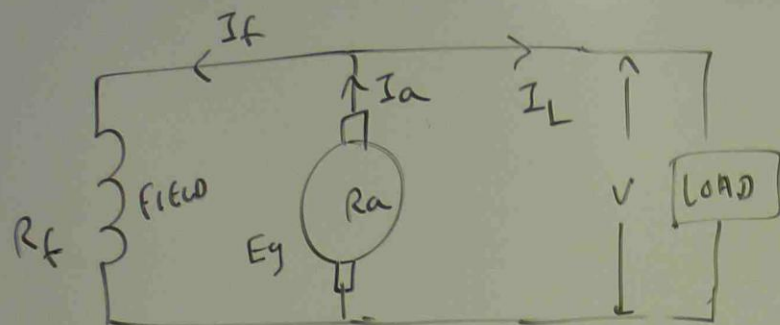
$$\frac{10}{20} = \frac{I_{S10}}{150}$$

$$I_{S10} = 150 \times \frac{10}{20} = 75 \text{ Amp.}$$

$$\text{Output} = V \times I = 510 \times 75 = 38250 \text{ W}$$

$$= 38.25 \text{ kW}$$

LOADING A GENERATOR



$$E_g = V + I_a R_a$$

$$I_a = I_L + I_f$$

$$I_f = \frac{V}{R_f}$$

GENERATED VOLTAGE EQUATION

$$E_g = \frac{\phi Z N}{60} \times \frac{p}{a}$$

E_g = GENERATED VOLTAGE (V)

ϕ = Flux (wb)

Z = NO. OF ARMATURE CONDUCTORS

N = SPEED (RPM)

p = NO. OF POLES

a = NO. OF ARMATURE PARALLEL PATHS

$$a = m \times p \quad \text{LAP}$$

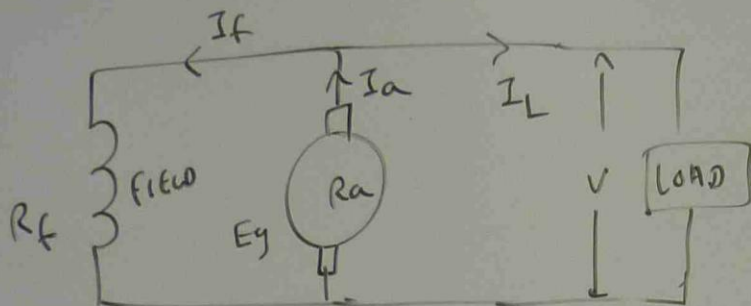
$$m = 1 \text{ SIMPLEX}$$

$$= 2 \text{ DUPLEX}$$

$$= 3 \text{ TRIPLEX}$$

$$a = m \times 2 \quad \text{WAVE}$$

LOADING A GENERATOR



$$E_g = V + I_a R_a$$

$$I_a = I_L + I_f$$

$$I_f = \frac{V}{R_f}$$

GENERATED VOLTAGE EQUATION

$$E_g = \frac{\phi Z N}{60} \times \frac{p}{a}$$

E_g = GENERATED VOLTAGE (V)

ϕ = Flux (Wb)

Z = NO. OF ARMATURE CONDUCTORS

N = SPEED (RPM)

p = NO. OF POLES

a = NO. OF ARMATURE PARALLEL PATHS

$$a = m \times p \quad \text{LAP}$$

$m = 1$ simplex

$= 2$ duplex

$= 3$ tripplex

$$a = m \times 2 \quad \text{WAVE}$$